

# Challenge EDF- 2010 EURO-ROADEF

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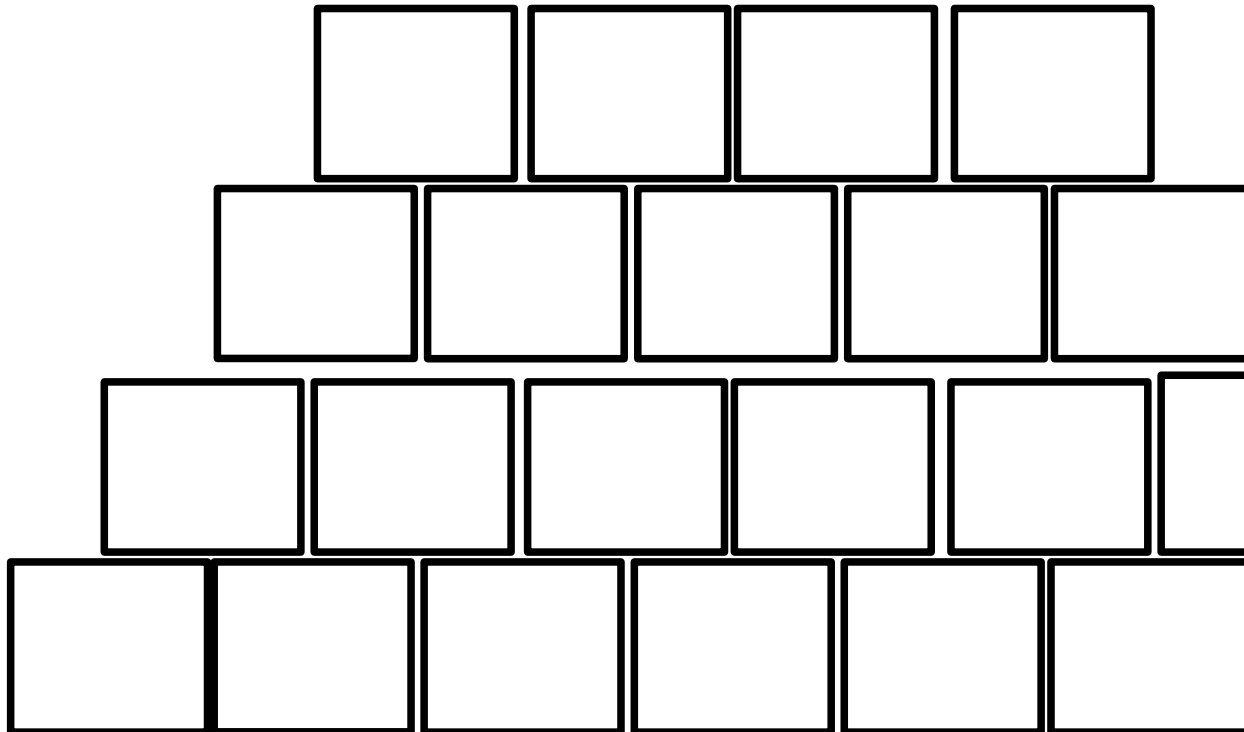
# From the moon...

Scheduler : Dates of outages  $ha(i,k)$

Refueler : Volumes fo refuels  $R(i,k)$

Power assigner : on each plant for each  $(i,t,s)$

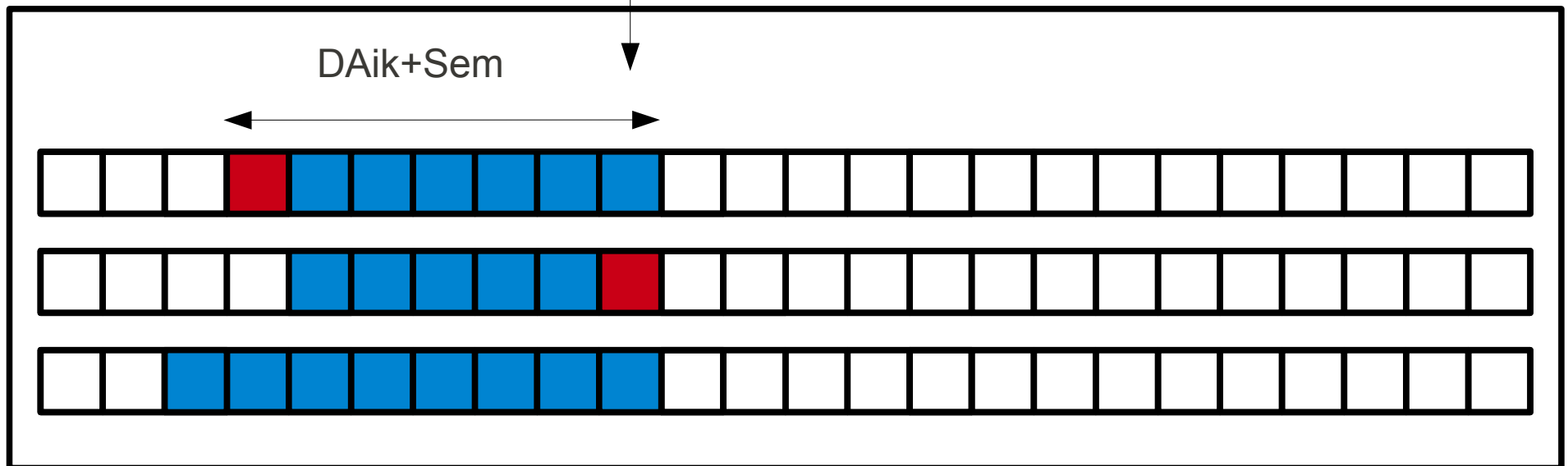
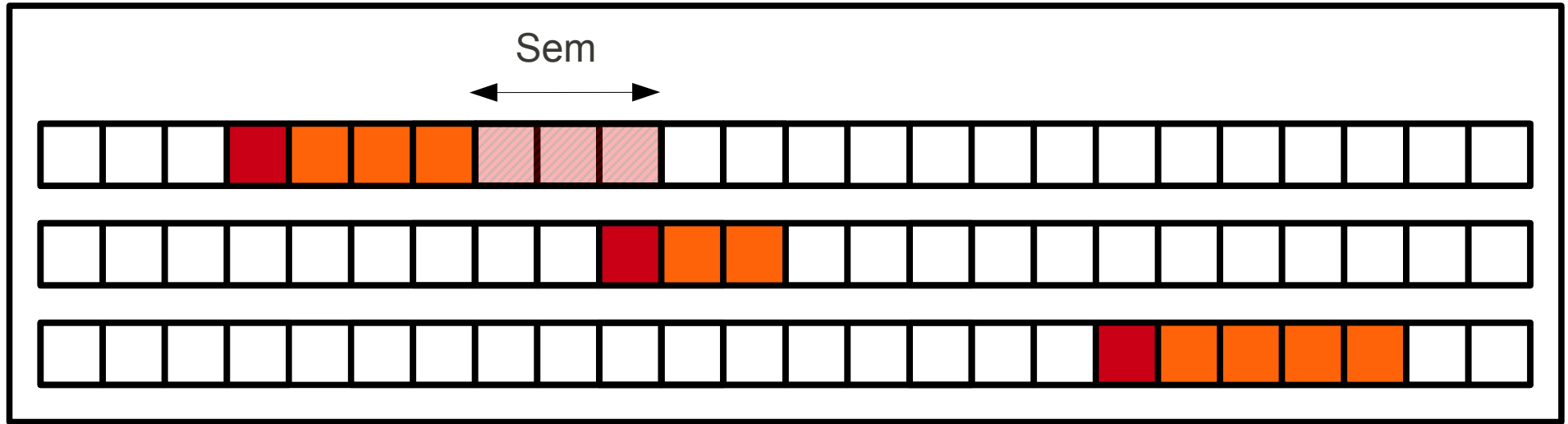
Scheduler : The large stones first...



# Scheduler

- Output : dates of outages
- ILP with binary variables  $X(i,k,h)$
- Constraints CT[13-21] : exactly (packing)
- Constraint CT11 : heuristically  
(on tuples  $(i,k1,h1,k2)$  only via minimal distances)
- Auxiliary variables  $P(i,h)$  for power
- Objective function :  $\sum \text{dem}(h) P(i,h)$

# Packing CT14



# Variables $P(i,h)$



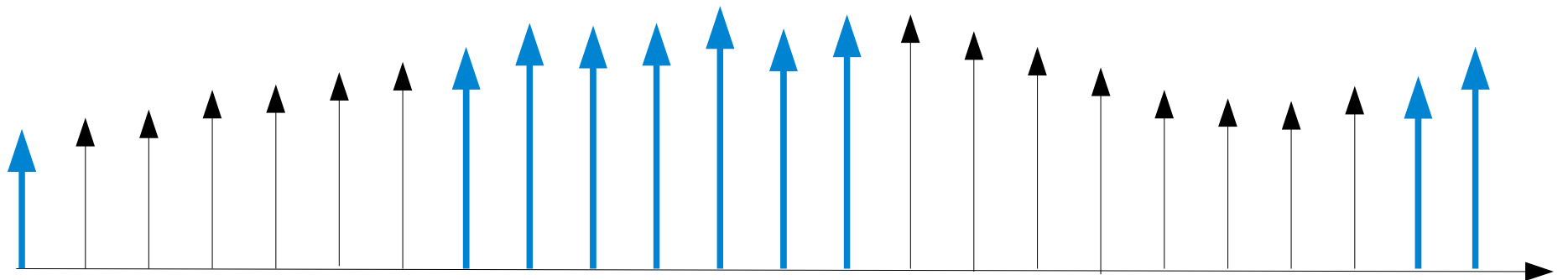
$X(i,k,h)$

RMAX

$PMAX * D$



$P(i,h)$

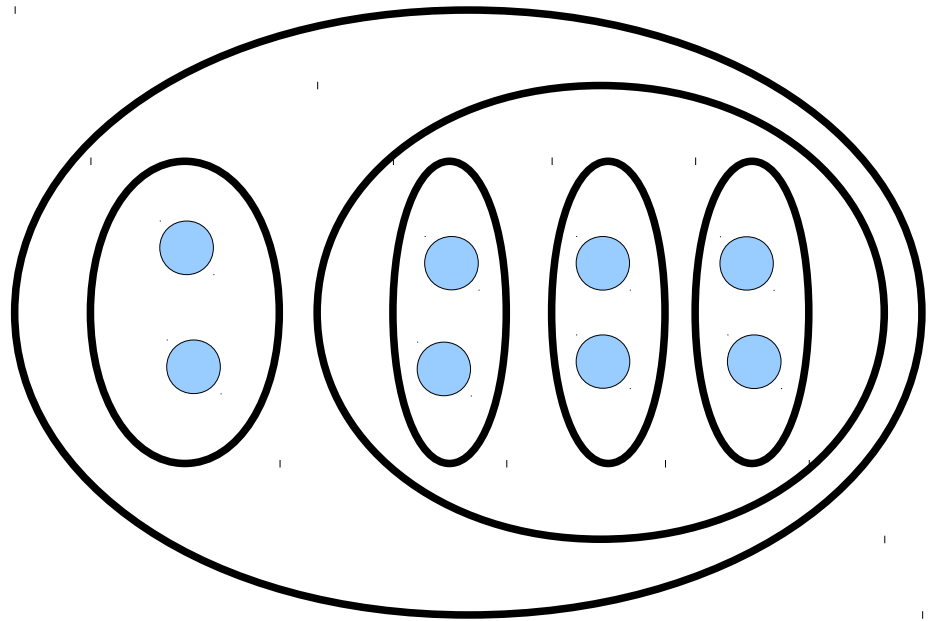
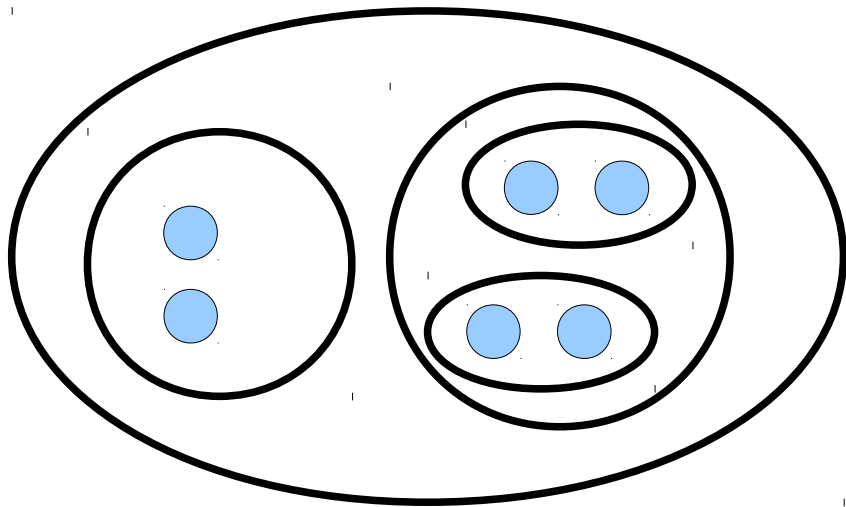


$Dem(h) * P(i,h)$

# Rescheduler

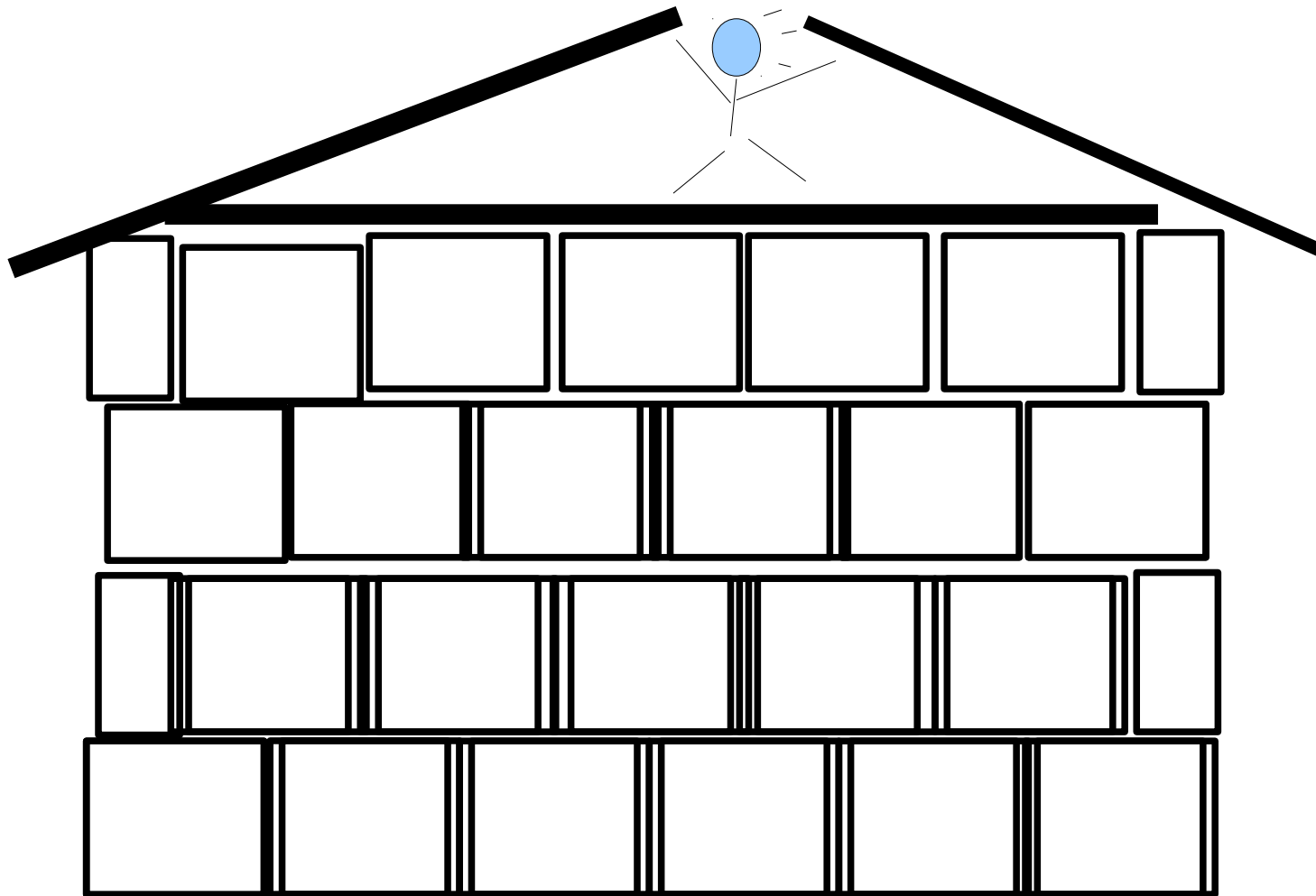
- Given outages, supposing min refuels and no modulation, check CT11 (AMAX, SMAX).
- If no violation, ok.
- Otherwise, we use all violations to increase minimal distances between outages, and relaunch scheduler.

# Using laminar structure of constraints to boost (re)schedule





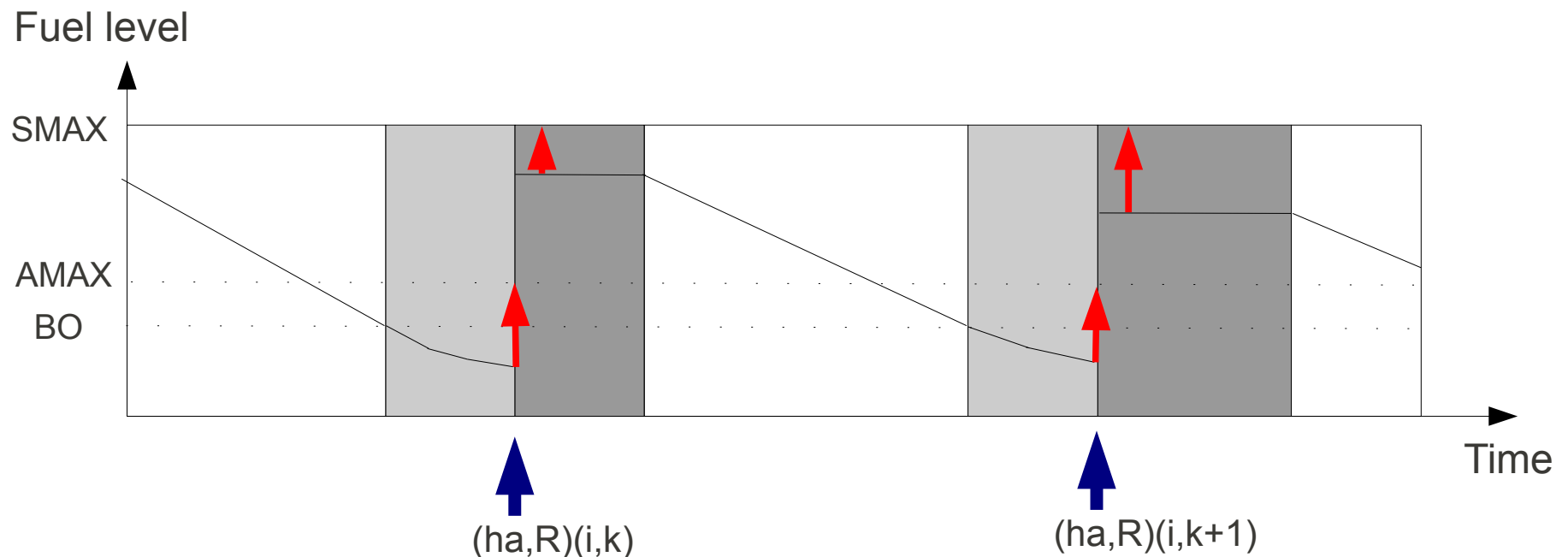
# Power checker: Getting secured fast...



# Nuclear plant without demand

Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



# Type 2 => temporal greedy with forward security

For each scenario,

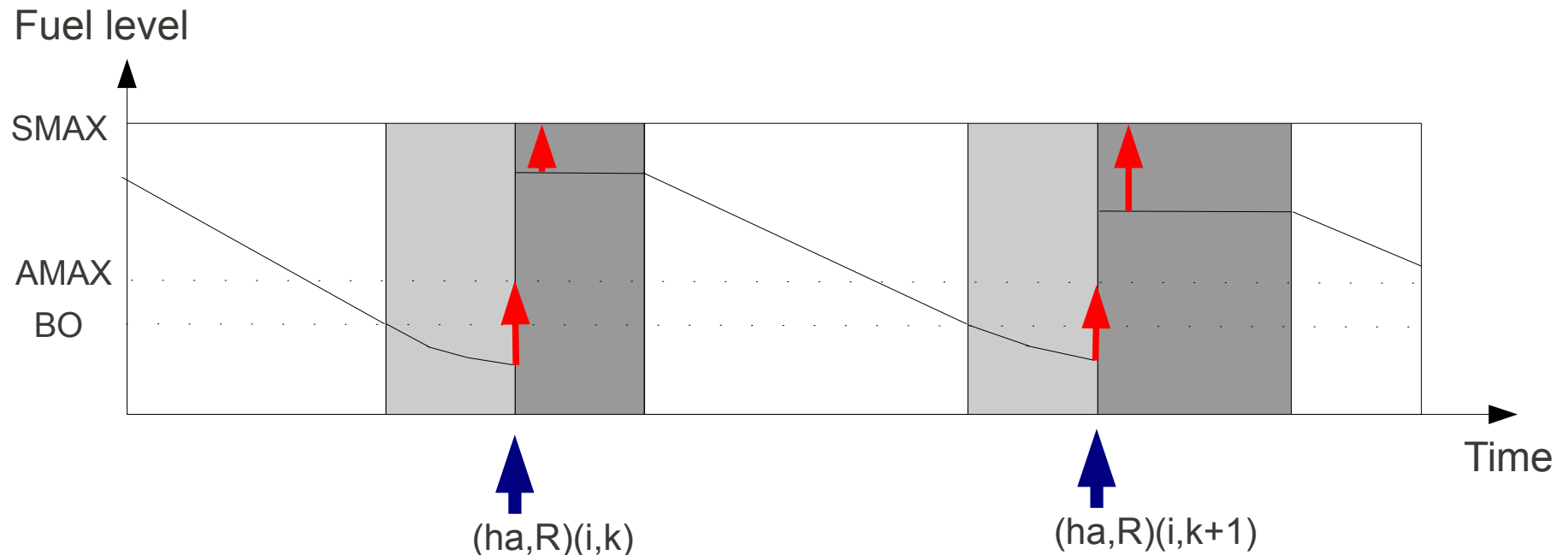
For t from 0 to T

- If ( $\text{Dem}(t,s) \geq \text{Nuclear available}$ )
  - Don't use modulation
- Else
  - Use modulation on plant with « largest gaps » first.

# Plant modulation (with demand)

Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

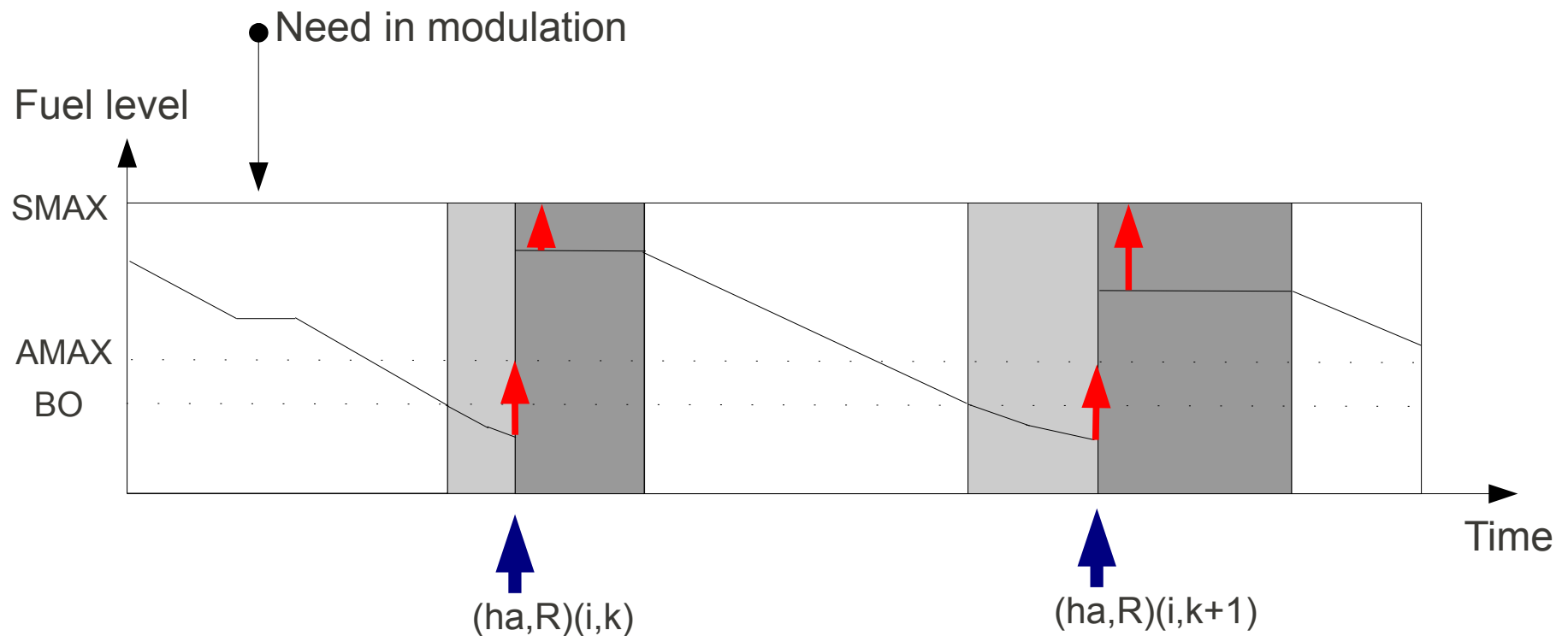
In-Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



# Real effect of modulation

Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

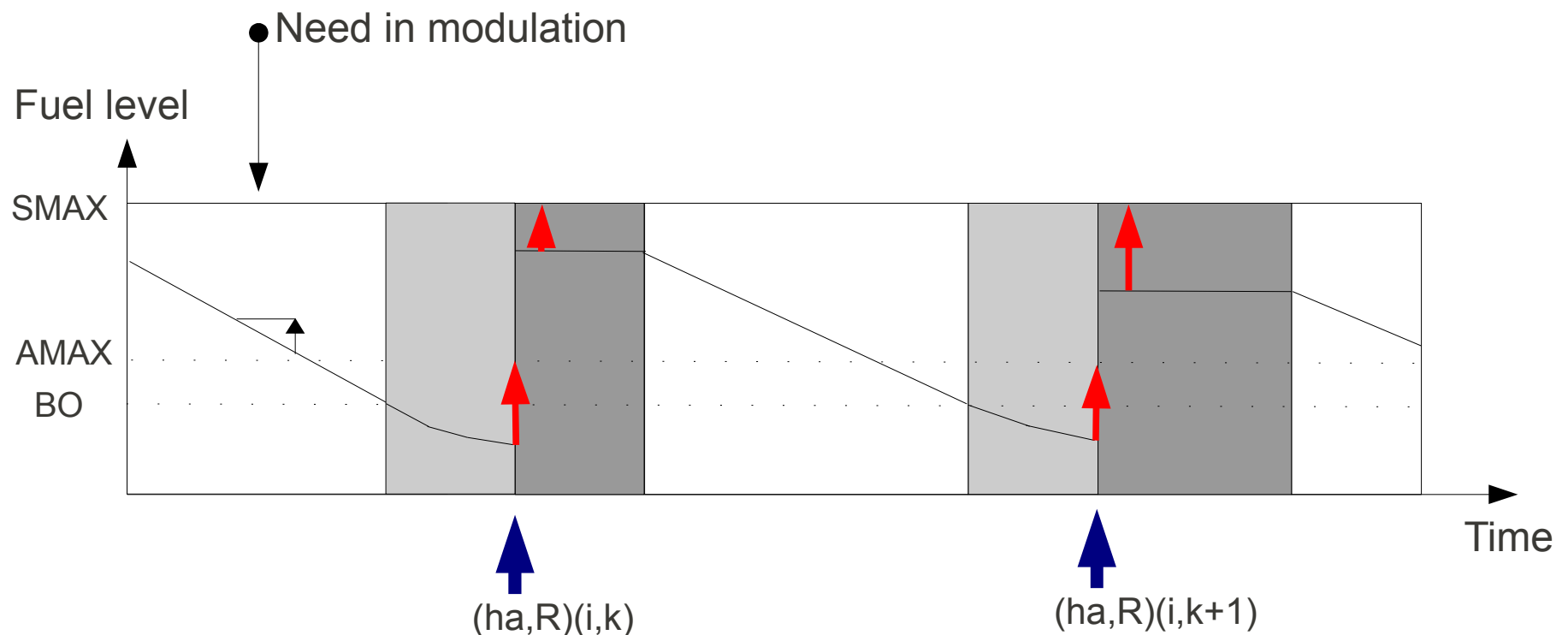
In-Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



# Fast over-approx of modulation

Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

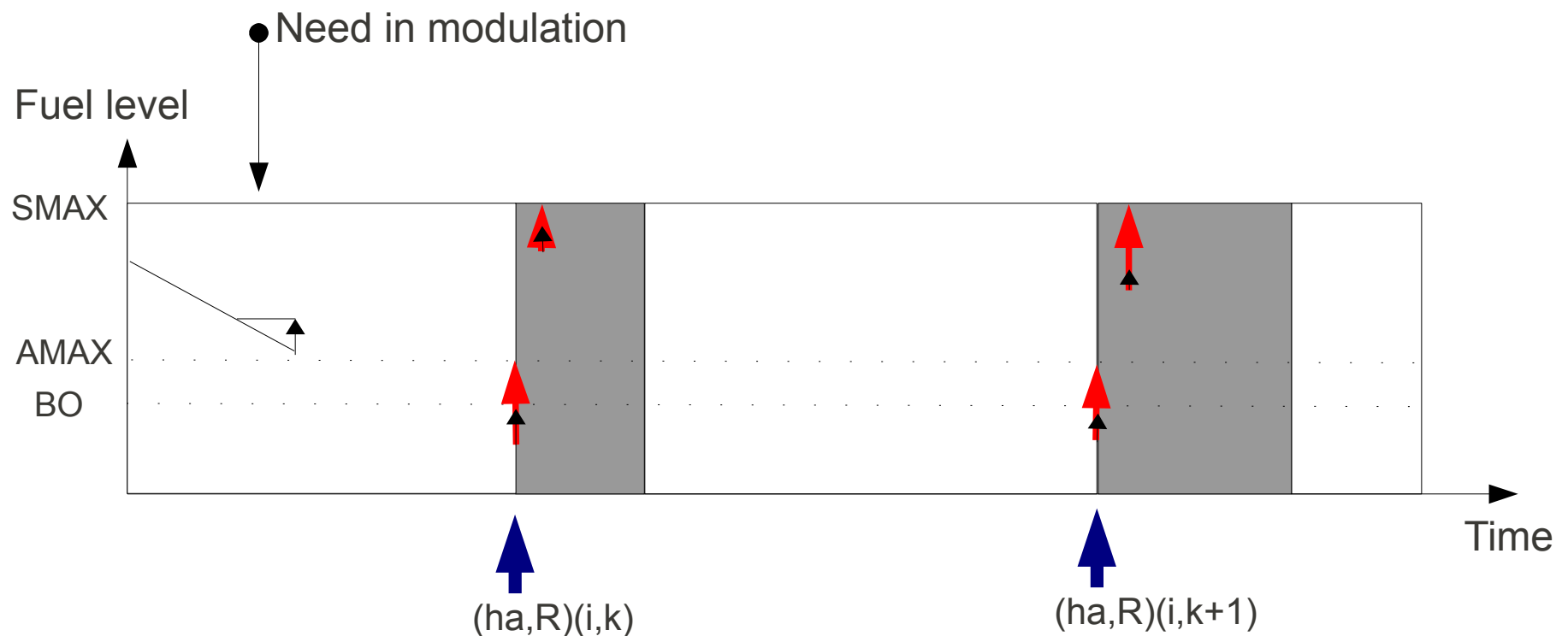
In-Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



# Fast over-approx of modulation

Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

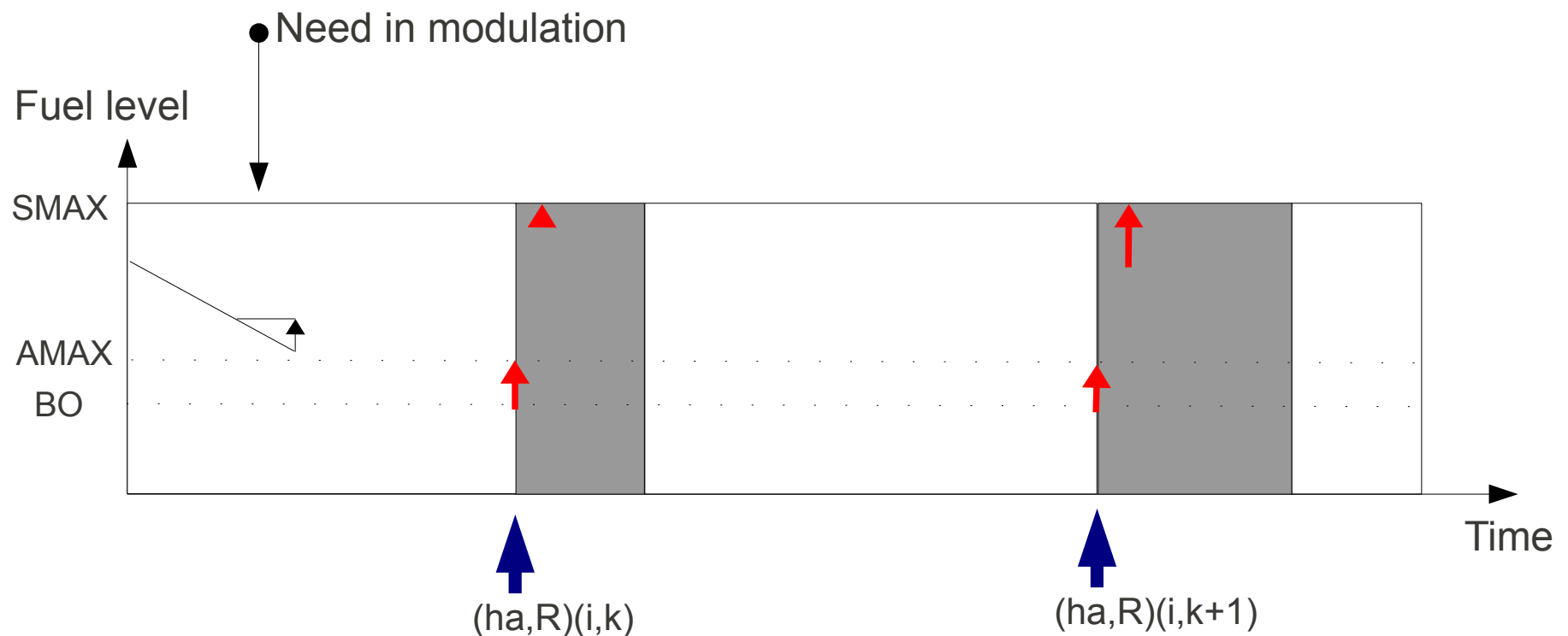
In-Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



# Fast over-approx of modulation

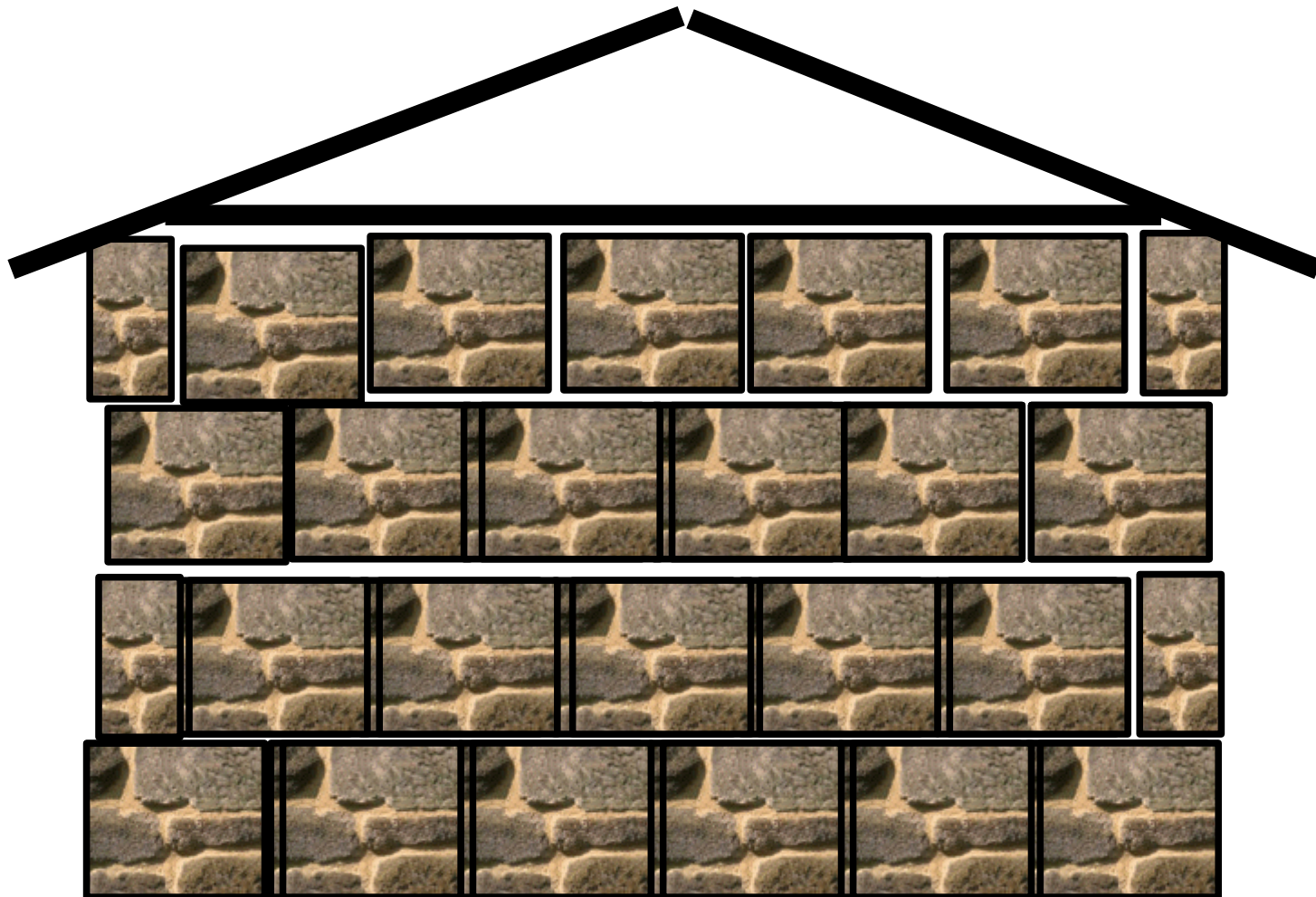
Input : Dates of outages  $ha(i,k)$  and volumes of refuel  $R(i,k)$

In-Output : Gaps from fuel values to  $A_{max}$  and  $S_{max}$



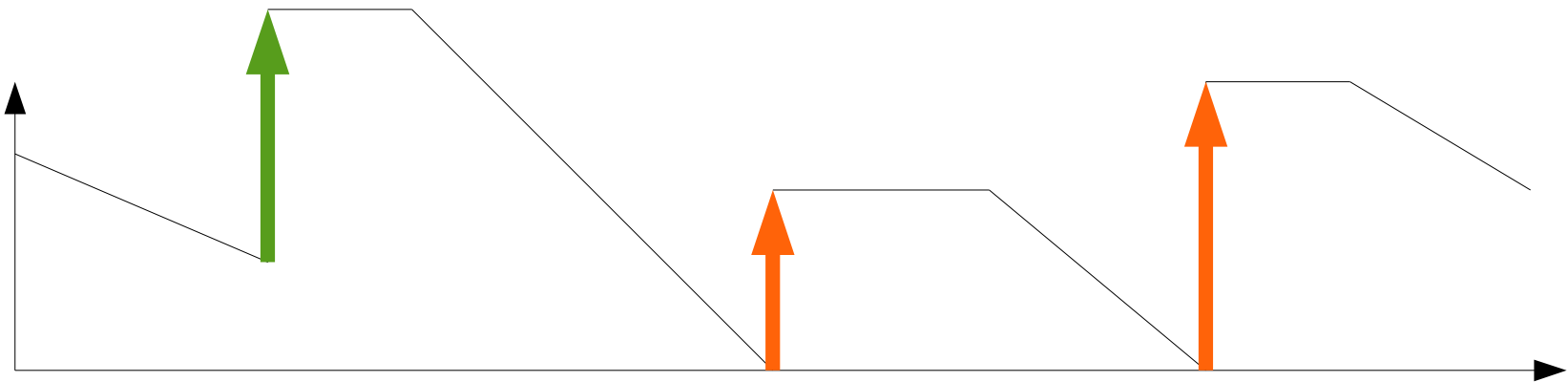
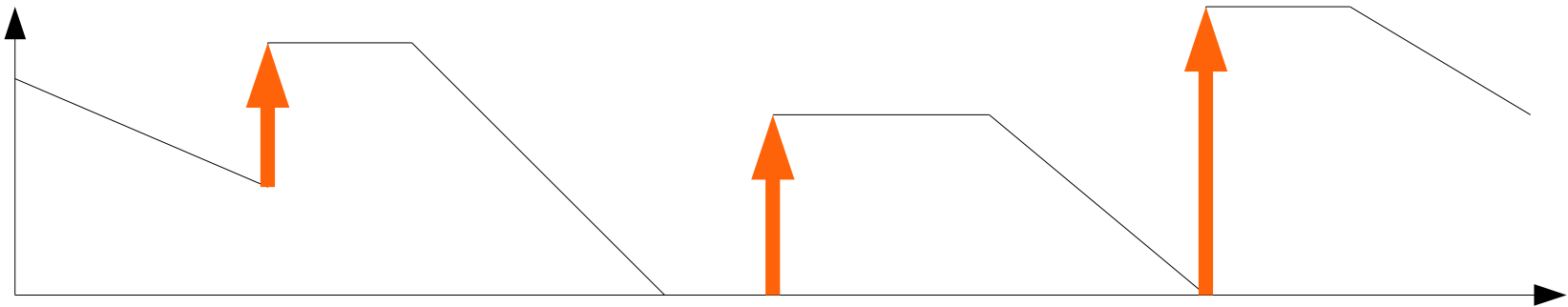


Refueler : Filling the picture fast...  
...without overflowing



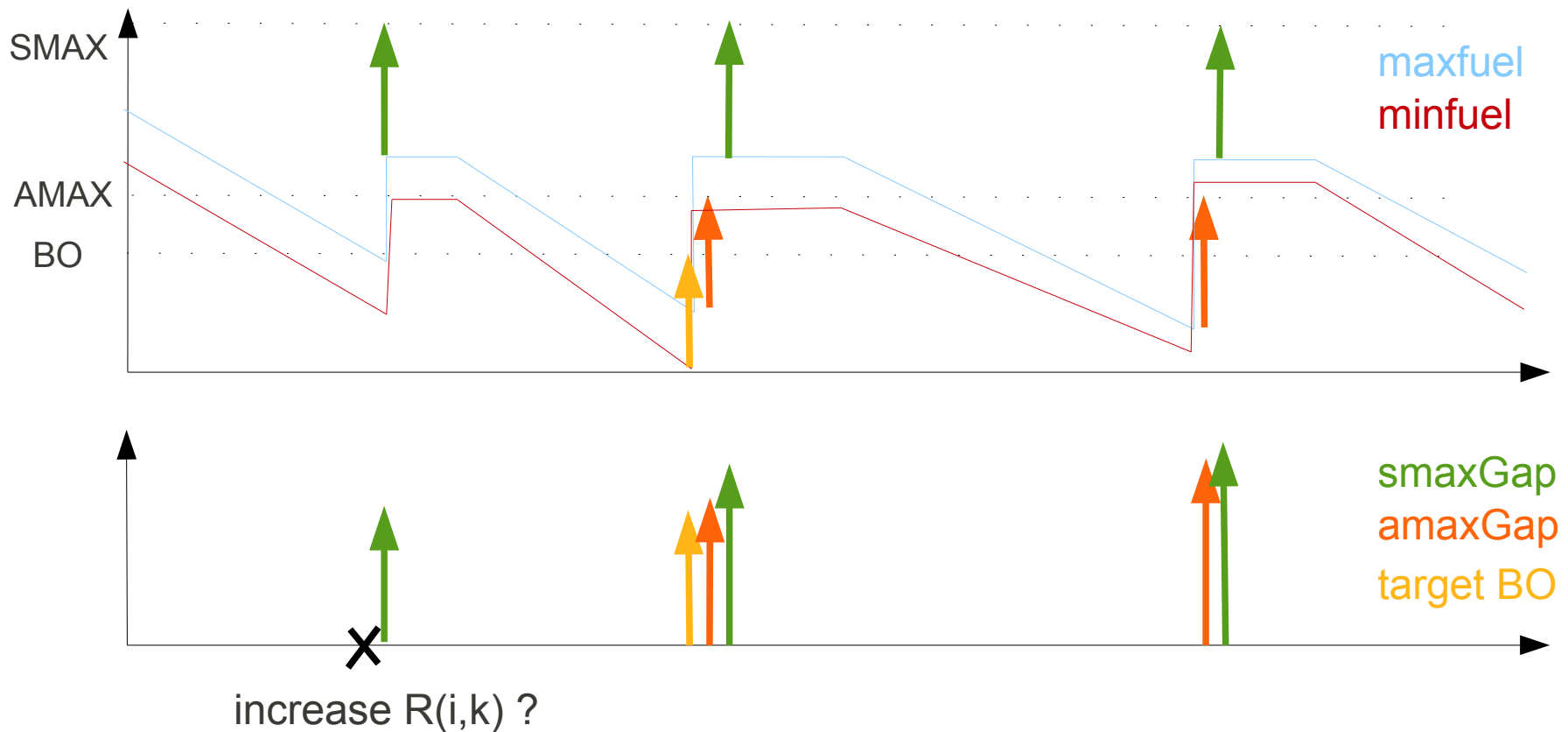
# « Boucher les ptits trous »

Without demand

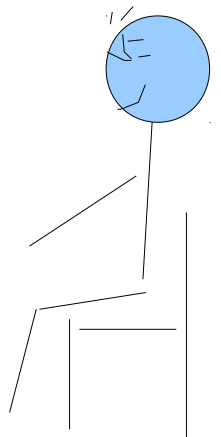
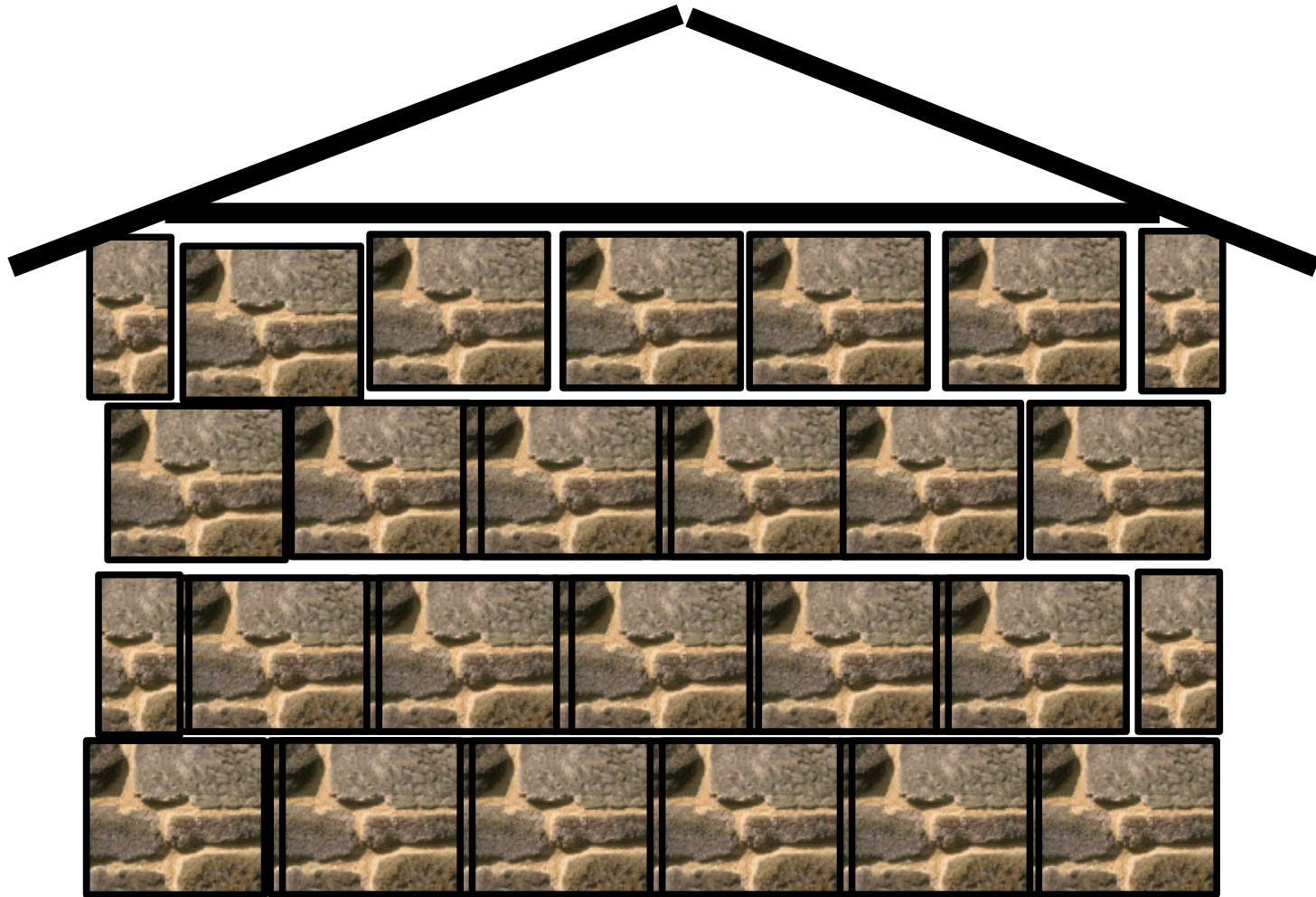


# Increase Refuelings

- $\text{amax}$   $\text{smax}$  (with  $\text{maxfuel}$ )
- target BO (with  $\text{minfuel}$ )



Power assigner : enjoying the fruits



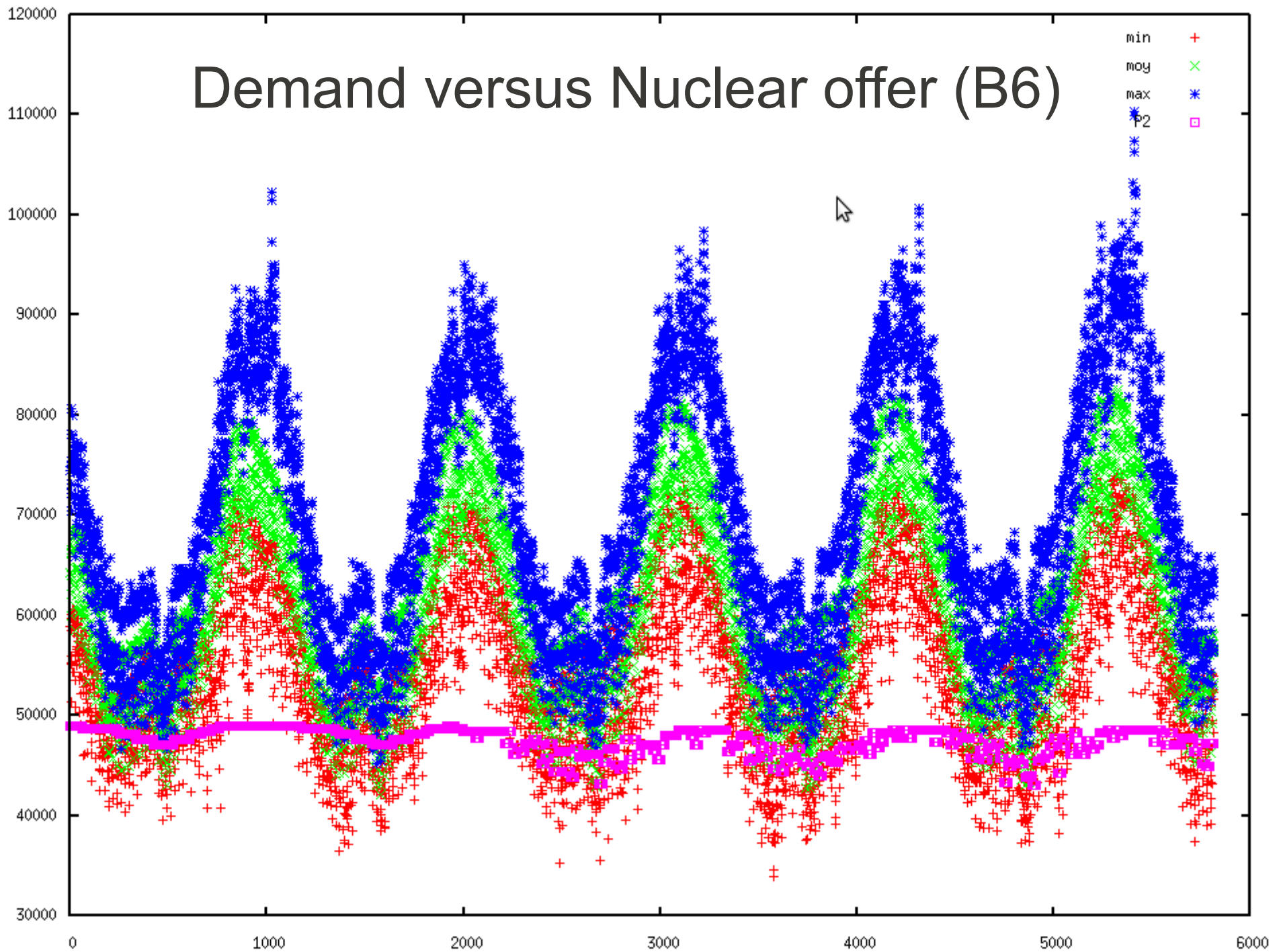
# Type 1 => pre and post-treatment

- $P_{\max}, Dem, P_{\min} \leftarrow P_{\min}; \quad // \text{ for all } j, t, s.$
- Sort plants by cost ; // for all t,s.
- When power of plants 2 has been assigned, complete demand greedily.
- Is optimal except when  
 $((\text{cost}(j, t, s) \sim < 20) \text{ AND } (Dem(t, s) < \sum_i P(i, t)))$

# Analysis of demand and cost

# Demand versus Nuclear offer (B6)

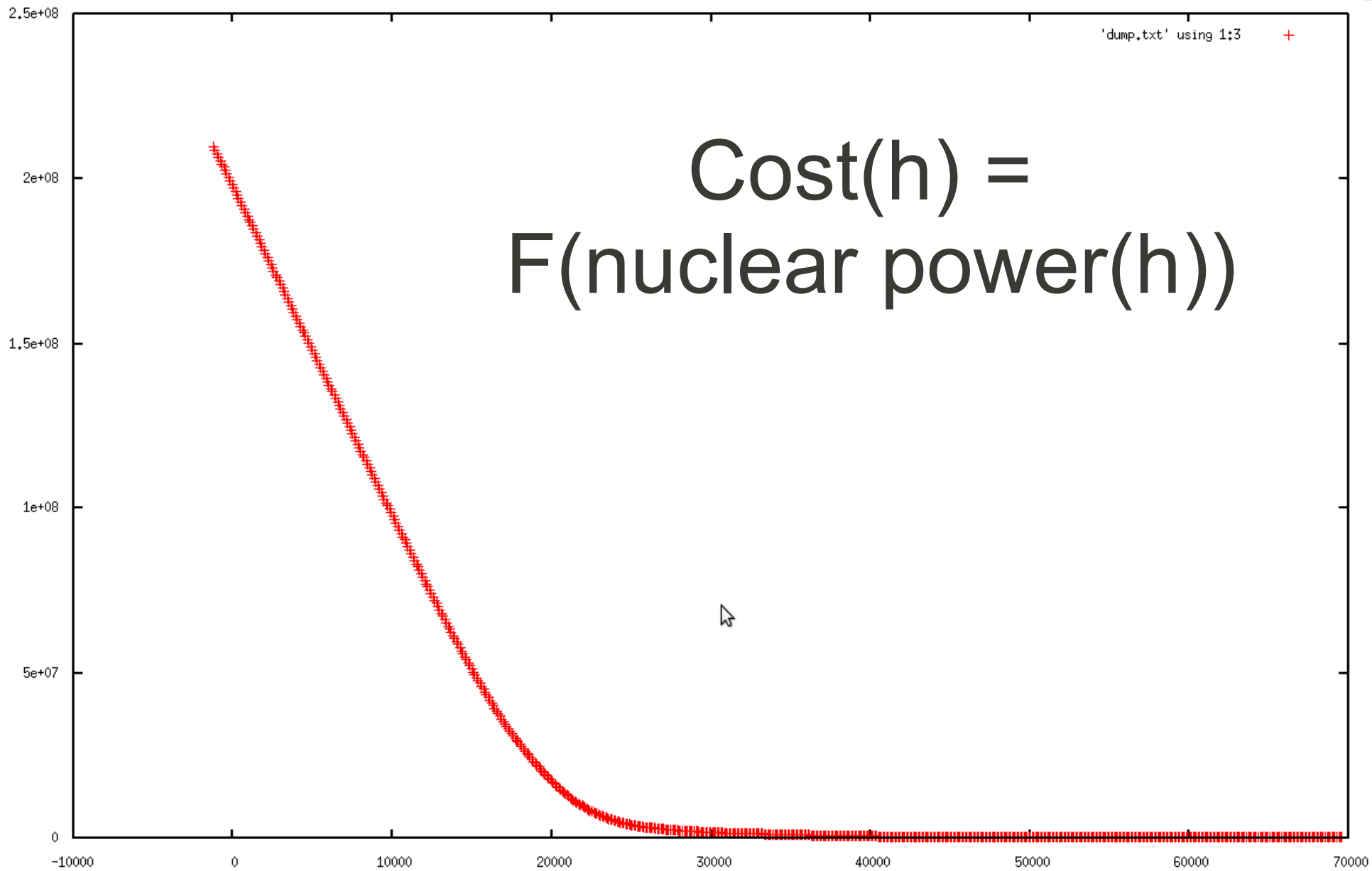
min +  
moy x  
max \*  
p2 □



Gnuplot

'dump.txt' using 1:3

$$\text{Cost}(h) = F(\text{nuclear power}(h))$$



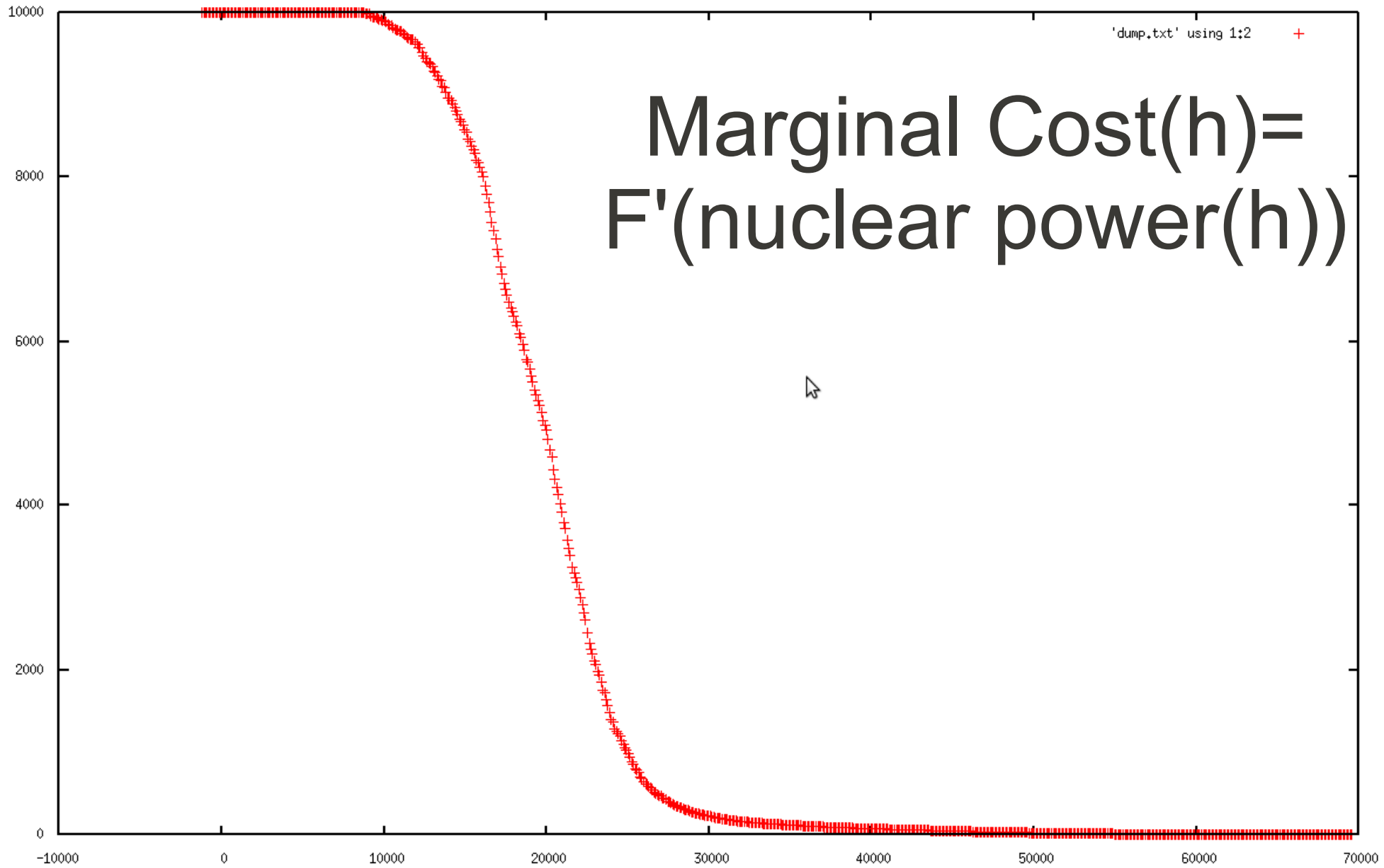
30597.0, 7.01638e+07



Gnuplot

'dump.txt' using 1:2

Marginal Cost(h)=  
 $F'(\text{nuclear power}(h))$



36000,0, 5549,68

# Marginal cost = $F'(h, \text{nuclear power}(h))$

